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topology and the discrete topology. (b). Lemma 1. If (X,T) and (X,T 0) are compact Hausdor? spaces then either T and T 0 are equal or not comparable. Proof. If (X,T) compact and T 0? T then the identity map (X,T) ? (X,T) is a bijective continuous map, hence a homeomorphism, by theorem 26.6. This proves the result. Finally note that the set of topologies on the set X is partially ...

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Munkres §32 Ex. 32.1. Let Y be a closed subspace of the normal space X. Then Y is Hausdor? [Thm 17.11]. Let A and B be disjoint closed subspaces of Y. Since A and B are closed also in X, they can be separated in X by disjoint open sets U and V. Then Y ? U and V ? Y are open sets in Y separating A and B. Ex. 32.3. Look at [Thm 29.2] and [Lemma 31.1]. By [Ex 33.7], locally compact ...

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